

Chapter 08 (Objectives)
MATHEMATICAL INDUCTION & BINOMIAL THEOREM
TEXTBOOK OF ALGEBRA AND TRIGONOMETRY FOR CLASS XI

Fill in the blanks

1. devised the method of induction.
 2. is used to prove that the sum of first n positive integers equals n^2 .
 3. The properties of integer can be proved by
 4. The case or exception which fails the mathematical formula or statement is called
 5. The of a formula is established if it is true for each element of set under consideration.
 6. The method of mathematical induction is used to avoid
 7. The method of mathematical induction is used to prove statement relating to sets of and numbers.
 8. In mathematical induction, we suppose that statement is true for positive integer k , we show that it is true for
 9. A statement in mathematical induction for which only one condition of mathematical induction satisfies is
 10. There is no integer n for which 3^n is
 11. The principle of is used to prove $S(i)$ is true for $i \neq 1$.
 12. An algebraic expression consisting of two terms is called expression.
 13. The formula for expansion of a binomial raised to any positive integral power is called
 14. $(a + x)^n = \dots\dots\dots$
 15. The rules of binomial theorem also hold if a and x are
 16. $\binom{n}{0}, \binom{n}{1}, \binom{n}{2}, \dots\dots\dots, \binom{n}{n}$ are called
 17. In expansion of $(a + x)^n$, the number of terms are that its index.
 18. The sum of exponents of a set a and x in binomial expansion is to its index.
 19. $T_{r+1} = \dots\dots\dots$
 20. $T_{r+1} = \binom{n}{r} a^{n-r} x^r$ is called of the expansion.
 21. In expansion of $(a + x)^n$, total number of terms is
 22. If the term of expansion $(a + x)^n$ is independent of x , the exponent of x is
 23. The sum of coefficients of a binomial expansion equals to
 24. The sum of odd coefficients of a binomial expansion equals to the sum of its coefficients.
 25. Symbols $\binom{n}{0}, \binom{n}{1}$, etc are meaningless when n is a or
 26. If n is negative number or fraction, then $T_{r+1} = \dots\dots\dots$
 27. The binomial series are used for of infinite sets.
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KEY (CHAPTER 7)

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|---|---|---------------|
| 01- Francesco Mourolico | 02- Mathematical Induction | |
| 03- Mathematical Induction | 04- Counter example | 05- Validity |
| 06- Infinite | 07- Natural, whole | 08- $k + 1$ |
| 09- False | 10- Even | |
| 11- Extended Mathematical Induction | | 12- Binomial |
| 13- Binomial Theorem | 14- $\sum_{r=0}^n \binom{n}{r} a^{n-r} x^r$ | 15- Complex |
| 16- Binomial Coefficient | 17- One greater | 18- Equal |
| 19- $\binom{n}{r} a^{n-r} x^r$ | 20- General term | 21- $n + 1$ |
| 22- Zero | 23- 2^n | 24- Even |
| 25- Negative number, fraction | | |
| 26- $\frac{n(n-1)(n-2)\dots\dots(n-r+1)}{r!} x^r$ | | 27- Summation |
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The End

Provided by: Adil Rauf & Muhammad Nabil (F.Sc. Part I, FAZMIC Sargodha)

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Composed by: Atiq ur Rehman (<http://www.mathcity.tk>)