

Section –B (4 × 10 =40 marks)

Q # 2. Attempt any **TEN** parts. Graph paper will be supplied on demand.

(i) Determine whether the given function is even or odd: $f(x) = x^{2/3} + 6$	Ex 1.1 – 9(iv) – p11
(ii) Evaluate; $\lim_{q \rightarrow 0} \frac{\tan q - \sin q}{\sin^3 q}$.	Ex 1.3 – 3(xii) – p27
(iii) Find $\frac{dy}{dx}$ if $x = y \sin y$.	Ex 2.5 – 3 – p79
(iv) Differentiate a^x w.r.t x by ab-intio method. ($a > 0$).	Ex 2.6 – Art2.10 – p80
(v) Show that $y = \frac{\ln x}{x}$ has maximum value at $x = e$.	Ex 2.9 – 4 – p113
(vi) Evaluate; $\int \sec x \, dx$	Ex 3.3 – Exp5(ii) – 133
(vii) Evaluate: $\int \ln(x + \sqrt{x^2 + 1}) \, dx$	Ex 3.4 – Exp5 – p139
(viii) Find the area above the x-axis bounded by curve $y^2 = 3 - x$ from $x = -1$ to $x = 2$	Ex 3.7 – 11 – p168
(ix) Find h such that points $A(-1, h)$, $B(3, 2)$ and $C(7, 3)$ are collinear	Ex 4.1 – 7 – p186
(x) Find an equation of the perpendicular bisector joining the points $A(13, 5)$ and $B(19, 8)$.	Ex 4.3 – 11 – p216
(xi) Show that line $2x + 3y - 13 = 0$ is tangent to the circle $x^2 + y^2 + 6x - 4y = 0$	Ex 6.1 – 6 – p256
(xii) write an equation of the parabola whose focus is $F(2, 5)$ and directrix is $y = 1$.	Ex 6.4 – 2(ii) – p281
(xiii) Show that the vectors $2\mathbf{i} - \mathbf{j} + \mathbf{k}$, $\mathbf{i} - 3\mathbf{j} - 5\mathbf{k}$ and $3\mathbf{i} - 4\mathbf{j} - 4\mathbf{k}$ form sides of a right angle triangle..	Ex 7.3 – Exp6– p347
(xiv) Find the points of intersection of $\frac{x^2}{18} + \frac{y^2}{8} = 1$ and $\frac{x^2}{3} - \frac{y^2}{3} = 1$	Ex 6.7 – 8 – p309

Section C (40 Marks)

Note: Attempt any **FIVE** Questions. Graph paper will be supplied on demand.

Q # 3. If q is measured in radian then prove that $\lim_{q \rightarrow 0} \frac{\sin q}{q} = 1$.	Ex 1.3 – Art1.5.8 – p25
Q # 4. The perimeter of a triangle is 20cm . If one side is of length 8cm , what are lengths of other two sides of maximum area of triangle.	Ex 2.10 – Exp3 – p115

Q # 5. Evaluate; $\int_0^{\frac{\pi}{2}} \frac{\sin x}{(1 + \cos x)(2 + \cos x)} dx.$	Ex 3.6 -32 – p164
Q # 6. Find the area of region bounded by the triangle whose sides are: $7x - y - 10 = 0;$ $10x + y - 41 = 0;$ $3x + 2y + 3 = 0.$	Ex 4.4 – 14 – p224
Q # 7. Minimize $z = 2x + y$ subject to the constraints $x + y \geq 3$, $7x + 5y \leq 35$, $x \geq 0$, $y \geq 0$.	Ex 5.3 – 4 – p248
Q # 8. Find an equation of the ellipse having vertices $(0, \pm 5)$, eccentricity $\frac{3}{5}$. And sketch the graph	Ex 6.5 – 1(vi) – p296
Q # 9. Prove by the vector method that perpendicular bisectors of the sides of triangle are concurrent	Ex 7.3 – 8 – p350

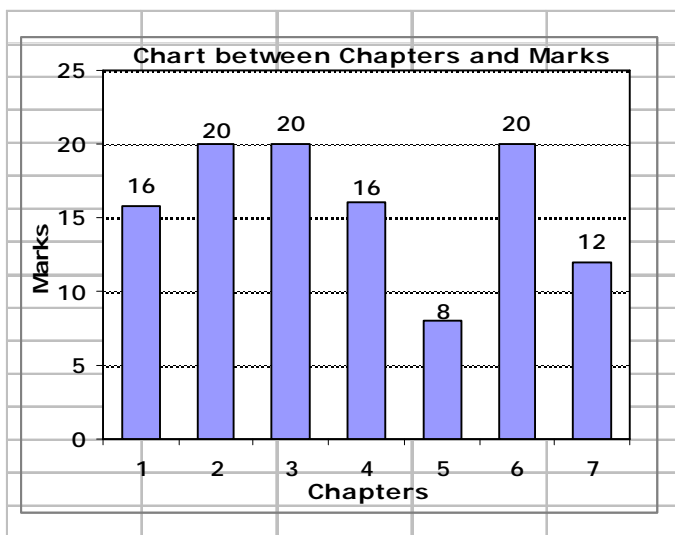
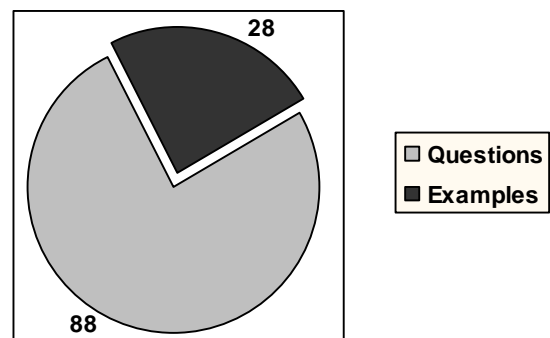


Chart between marks of Question from Exercises and Examples



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MathCity.org is really very thankful to *Miss Sumbul* of Punjab College, Sargodha for providing this paper in Document format.