## Govt. Ghazali Degree College, Jhang

(Important Short Questions) Course: Algebra and Trigonometry

Chapter # 10

Trigonometric Identities

Following short questions are selected from previous 5 years papers of different boards. Solve these at your own to perform well in annual exams.

- 1. Find the distance between the points P(cosx, cosy) and Q(sinx, siny).
- 2. Without using tables/calculator, find the values of  $sin540^{\circ}$ ,  $sin105^{\circ}$  and  $cos105^{\circ}$ .
- 3. If  $\alpha$ ,  $\beta$ ,  $\gamma$  are the angles of a triangle ABC, then prove that  $\cos(\frac{\alpha+\beta}{2}) = \sin\frac{\gamma}{2}$ .
- 4. If  $\alpha$ ,  $\beta$ ,  $\gamma$  are the angles of a triangle ABC, then prove that  $tan(\alpha + \beta) + tan\gamma = 0$ .

5. Show that 
$$tan(\alpha + \beta) = \frac{tan\alpha + tan\beta}{1 - tan\alpha tan\beta}$$

- 6. Show that  $\cos(\alpha + \beta)\cos(\alpha \beta) = \cos^2\beta \sin^2\alpha$ .
- 7. Show that  $cos(\alpha + 45^{\circ}) = \frac{1}{\sqrt{2}}(cos\alpha sin\alpha)$ . Abbas
- 8. Show that  $sin(\frac{\pi}{2} + \alpha) = cos\alpha$ .
- 9. Show that  $\frac{sin3x-sinx}{cosx-cos3x} = cot2x$ ? In the contrast of the cont
- 10. Prove that  $tan(45^{\circ} + A)tan(45^{\circ} A) = 1$ .
- 11. Prove that  $cot\alpha tan\alpha = 2cot2\alpha$ .
- 12. Prove that  $tan(270^{\circ} \theta) = cot\theta$ .
- 13. Prove that  $\frac{\cos 8^{\circ} \sin 8^{\circ}}{\cos 8^{\circ} + \sin 8^{\circ}} = \tan 37^{\circ}$ .
- 14. Prove that  $cot\alpha tan\alpha = 2cot2\alpha$ .
- 15. Prove that  $sin(180^{\circ} + \alpha)sin(90^{\circ} \alpha) = sin\alpha cos\alpha$ .
- 16. Prove that  $\frac{1-\cos\alpha}{\sin\alpha} = \tan\frac{\alpha}{2}$ .
- 17. Prove that  $\frac{\cos 11^\circ + \sin 11^\circ}{\cos 11^\circ \sin 11^\circ} = \tan(56^\circ)$ .
- 18. Express sin2x + sin7x as a product.
- 19. Express  $sin120^\circ sin46^\circ$  as sum or difference.
- 20. Express  $cos6\theta + cos3\theta$  as a product.
- 21. Express the product  $2\cos 5\theta \sin 3\theta$  as a sum or difference.

 $Best \ of \ Luck$